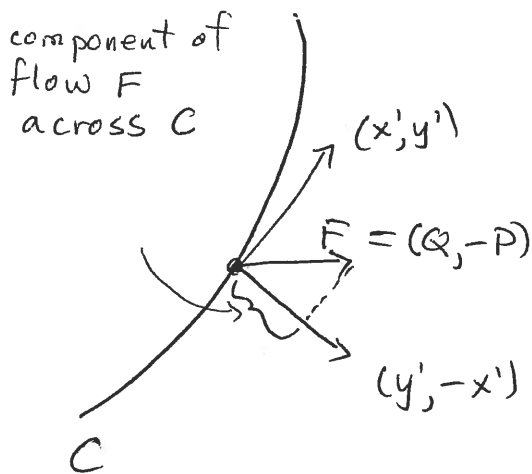


$$\int_C P dx + Q dy = \int P x' + Q y' dt$$

$$= \int (P, Q) \cdot (x', y') dt$$

and $(P, Q) \cdot (x', y')$ is the component of a force $F = (P, Q)$ acting along the tangent (x', y') , i.e. work.

so $\int_C P dx + Q dy = \text{Total work done by force field } (P, Q)$
on a particle which travels along C.



$$\int_C P dx + Q dy = \int P x' + Q y' dt$$

$$= \int (Q, -P) \cdot (y', -x') dt$$

and $(Q, -P) \cdot (y', -x')$ is the component of the flow with velocity $(Q, -P)$ which crosses C in the direction of the normal $(y', -x')$ to C,

So $\int_C P dx + Q dy = \text{Total flow across C}$ if $F = (Q, -P)$ is the velocity vector field.